# **PhD Defence**SLU, Dept. of Forest Economics Umea, Sweden, 120518

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- Thesis: Environmental Compensation is not for the Birds. Assessing Social welfare impacts of resource-based environmental compensation
- Opponent: Professor Patrik Söderholm, LTU
- PhD Committee:
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- Chair: Professor Peter Lohmander, SLU

# Some comments on the dissertation by Scott G. Cole

By Peter Lohmander 2012-05-18

## Citation (Study 1, page 14):

- "This study relies on a simplified model that assumes recovery is a function of each collided bird's remaining life expectancy, rather than population density."
- "A more sophisticated population model is underway."
- "One of the model's assumptions is constant survival rates before and efter the damage,..."

### Comment by Peter Lohmander:

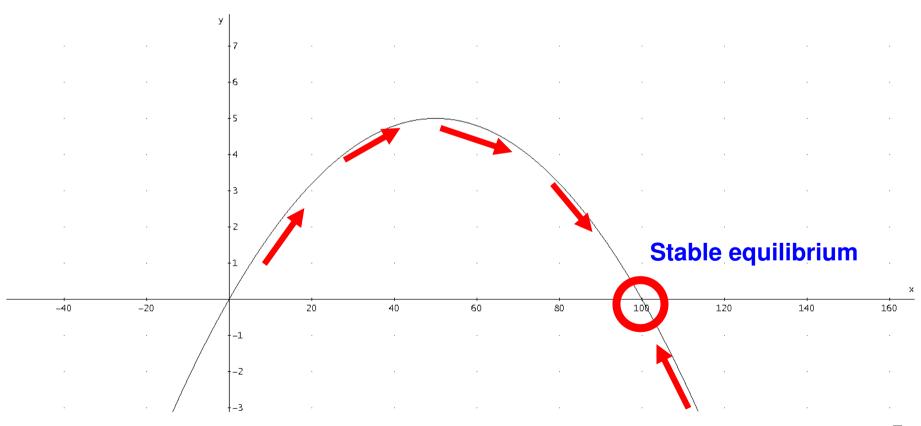
- Models for population growth <u>with density</u> <u>dependence</u> were developed more than 160 years ago.
- It seems irrational to assume that population density (competition for food and space) does not influence the birds. (In ecology, population density is a very important variable.)
- Without density dependence, the population can expand to infinity (which does not happen in reality).

# From Wikipedia, the free encyclopedia:

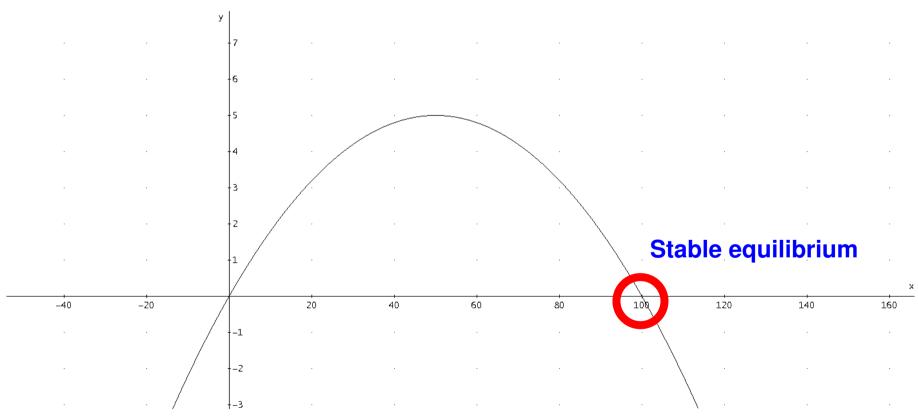
 A logistic function or logistic curve is a common sigmoid curve, given its name in 1844 or 1845 by Pierre François Verhulst who studied it in relation to population growth. A generalized logistic curve can model the "S-shaped" behaviour (abbreviated S-curve) of growth of some population P.

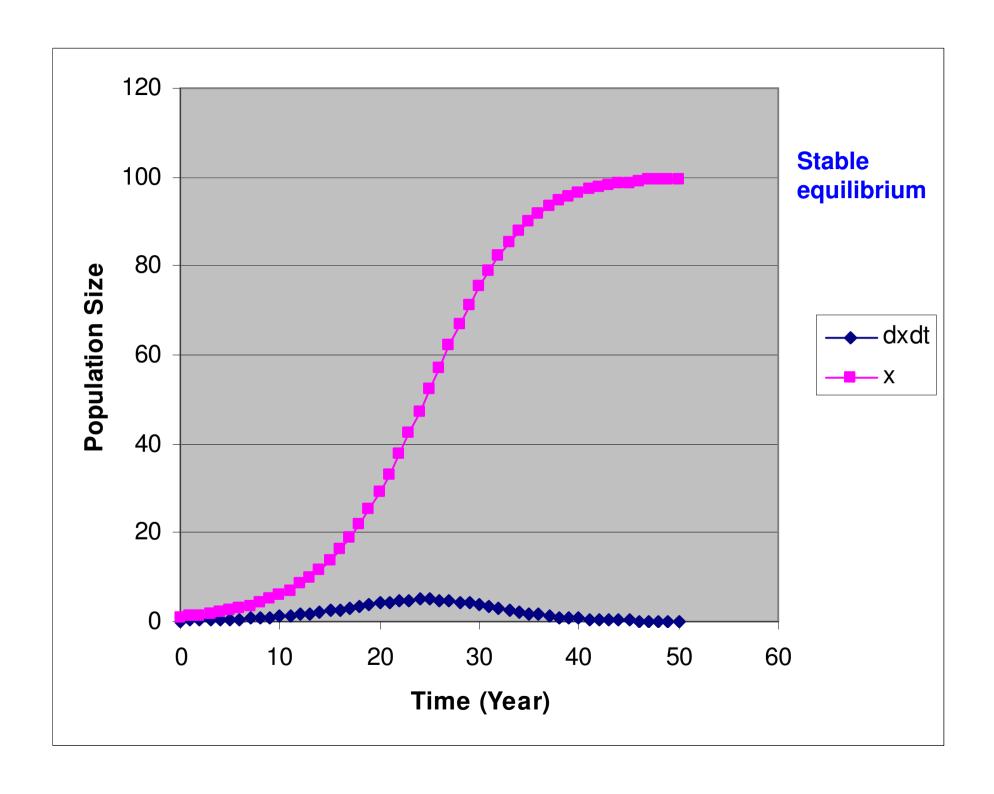
$$\frac{dx}{dt} = sx \left( 1 - \frac{x}{K} \right)$$

$$y = \frac{dx}{dt} = sx \left( 1 - \frac{x}{K} \right)$$

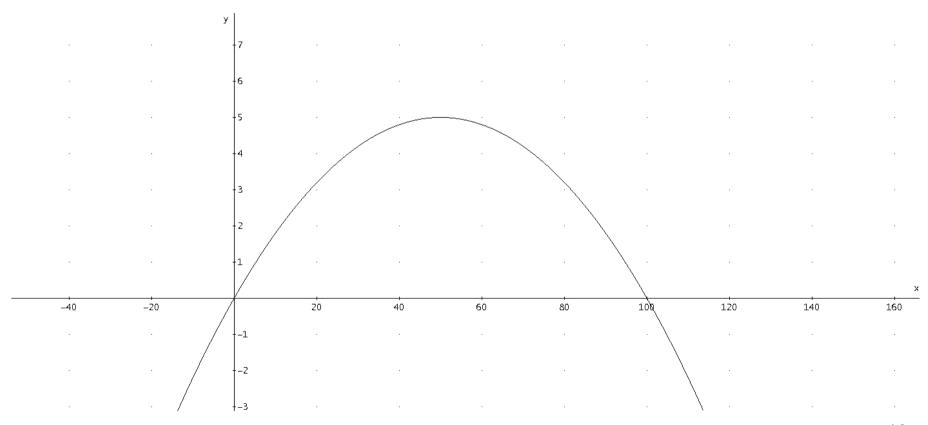


$$\frac{dx}{dt} = 0.2x \left( 1 - \frac{x}{100} \right)$$



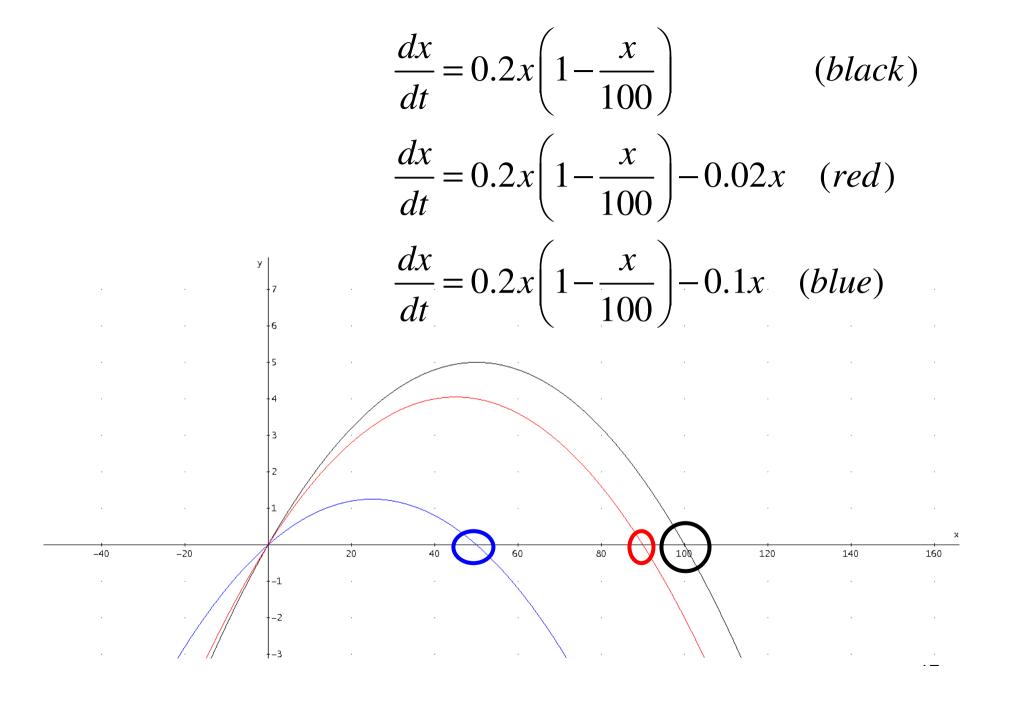


$$\frac{dx}{dt} = 0.2x \left( 1 - \frac{x}{100} \right)$$



# My suggeston:

$$\frac{dx}{dt} = 0.2x \left(1 - \frac{x}{100}\right) - mx$$
Wind power mill damage



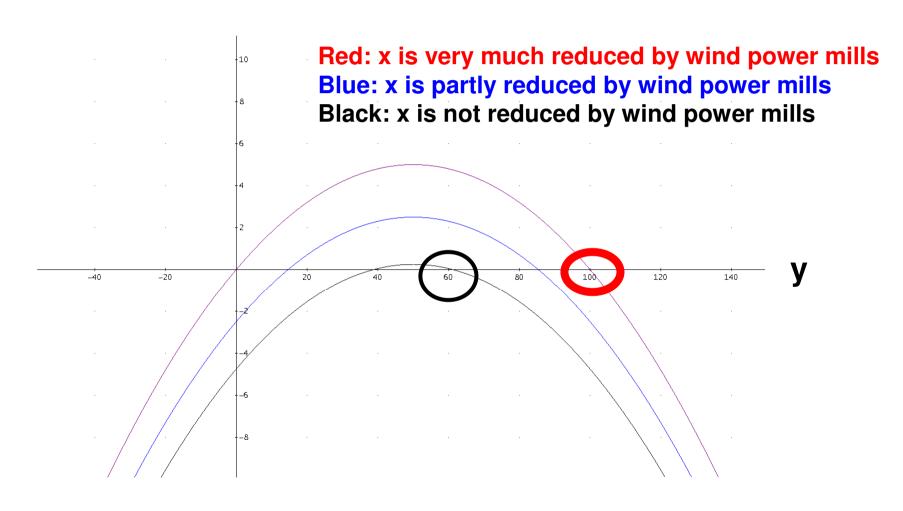
## Citation (Paper 3, page 4):

 "The value of the debet/credit ...is measured relative to the pre-damage of prerestoration levels of the resource and can be captured in monetary or non-monetary terms (Cole and Kriström 2008b)."

Comment by Peter Lohmander: In the ecological system, several predators are competing for similar prey. If the population of one predator species is reduced by a specific disturbance, other predators may expand.

y is the population size of another predator, competing for the same prey.

#### dy/dt



$$\frac{dx}{dt} = 0.2x \left(1 - \frac{x}{100}\right) - mx$$

Raptors are very efficient lemming hunters.

They are however sensitive to over population (population density) because of other reasons. Furthermore, they are damaged by wind power mills.

$$\frac{dy}{dt} = 0.2 y \left( 1 - \frac{y}{100} \right) - nx$$

#### Simple case:

Both predators x (raptors) and y (polar foxes) eat lemmings.
y does not fly and is not directly affected by wind power stations.

y is indirectly affected by wind power mills since x is damaged by them, which reduces the competition for lemmings.

Raptors are directly affected by wind power stations.

$$\begin{cases} \frac{dx}{dt} = 0.2x \left(1 - \frac{x}{100}\right) - mx \\ \frac{dy}{dt} = 0.2y \left(1 - \frac{y}{100}\right) - mx \end{cases}$$

Polar foxes are indirectly affected by wind power mills via the effect on the raptors, that are competitors, eating lemmings.

#### **Equilibrium conditions**

$$\begin{cases} \frac{dx}{dt} = 0.2x \left(1 - \frac{x}{100}\right) - mx = 0\\ \frac{dy}{dt} = 0.2y \left(1 - \frac{y}{100}\right) - nx = 0 \end{cases}$$

$$\frac{dx}{dt} = 0.2x \left(1 - \frac{x}{100}\right) - mx = 0$$

$$0.2x - 0.002x^2 - mx = 0$$

$$(0.2-m)x-0.002x^2=0$$

$$(0.2-m)-0.002x=0$$

$$(0.2-m) = 0.002x$$

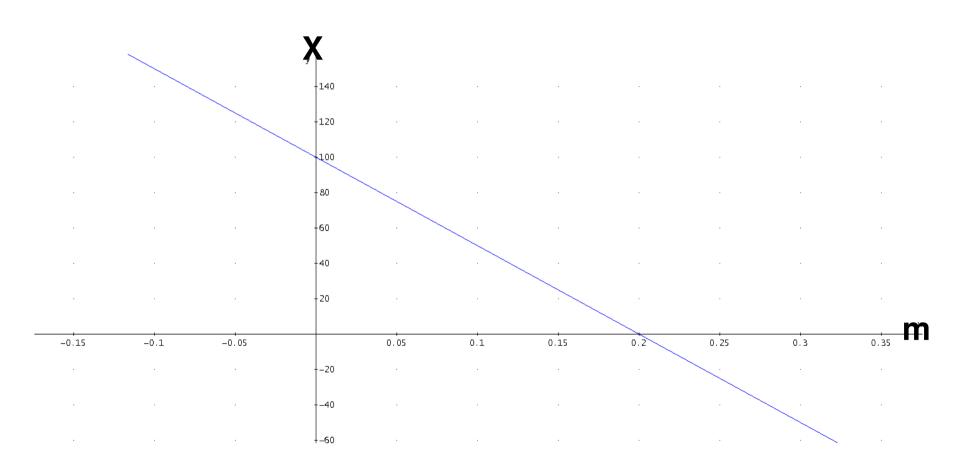
$$x = \frac{0.2 - m}{0.002}$$

$$x = 100 - 500m$$

Equilibrium raptor population as a function of the wind power mill damage parameter m.

# Equilibrium raptor population as a function of the wind power mill damage parameter m.

$$x = 100 - 500m$$



$$\begin{cases} \frac{dx}{dt} = 0.2x \left( 1 - \frac{x}{100} \right) - mx = 0\\ \frac{dy}{dt} = 0.2y \left( 1 - \frac{y}{100} \right) - nx = 0 \end{cases}$$

$$\begin{cases} x = 100 - 500m \\ \frac{dy}{dt} = 0.2y \left(1 - \frac{y}{100}\right) - nx = 0 \end{cases}$$

$$\begin{cases} x = 100 - 500m \\ \frac{dy}{dt} = 0.2y \left(1 - \frac{y}{100}\right) - n(100 - 500m) = 0 \end{cases}$$

$$0.2y \left(1 - \frac{y}{100}\right) - n(100 - 500m) = 0$$

$$0.2y \left(1 - \frac{y}{100}\right) - n(100 - 500m) = 0$$

$$0.2y - 0.002y^{2} - n(100 - 500m) = 0$$

$$-100y + y^{2} + 500n(100 - 500m) = 0$$

$$y^{2} - 100y + 500n(100 - 500m) = 0$$

$$y^2 - 100y + 500n(100 - 500m) = 0$$

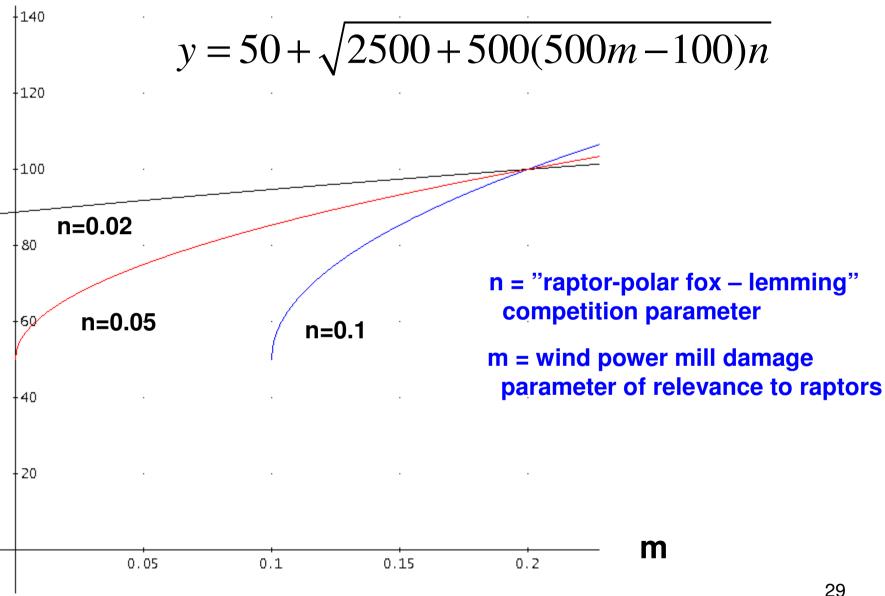
$$y = \frac{-(-100)}{2} + \sqrt{\left(\frac{-(-100)}{2}\right)^2 - 500n(100 - 500m)}$$

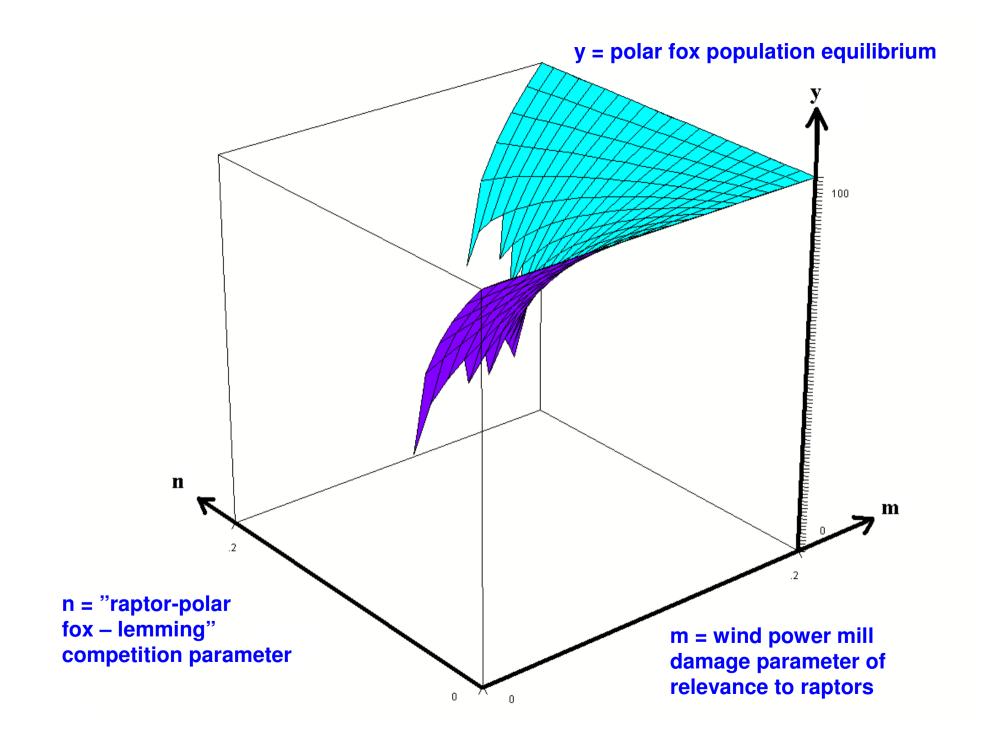
$$y = 50 + \sqrt{2500 - 500n(100 - 500m)}$$
$$y = 50 + \sqrt{2500 + 500(500m - 100)n}$$

$$y = 50 + \sqrt{2500 + 500(500m - 100)n}$$

Equilibrium polar fox population size, y, as a function of the wind power mill damage parameter of relevance to raptors, m, and the "raptor-polar fox – lemming" competition parameter, n.

#### y = polar fox population equilibrium





### **Observations:**

- Polar foxes are considered valuable but they are not damaged by the wind power mills.
- Wind power mills may reduce the population of raptors. (We may calculate the "environmental cost" of this effect.)
- However, with less raptors, more lemmings become available for the polar foxes. This increase the polar fox population, which represents an "environmental revenue".
- The "net result" of the wind power mill is affected by the raptor population and the polar fox population.
- We should never investigate the populations separately.